

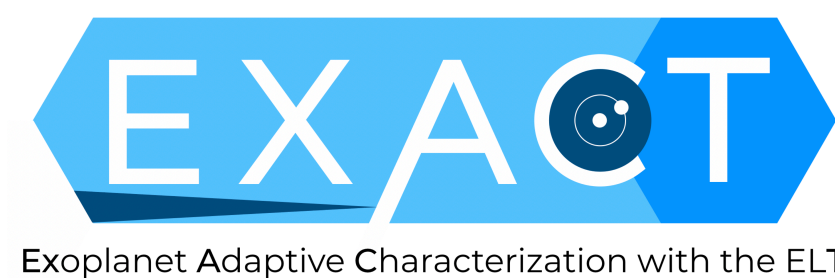


# Knowing your limits

## How close & how deep can we go? Is it efficient?

Alexis Carlotti, Univ. Grenoble Alpes / CNRS / IPAG

Journées SF2A 2026 - Grenoble (sorry about the low temperatures, next year will be warmer!)



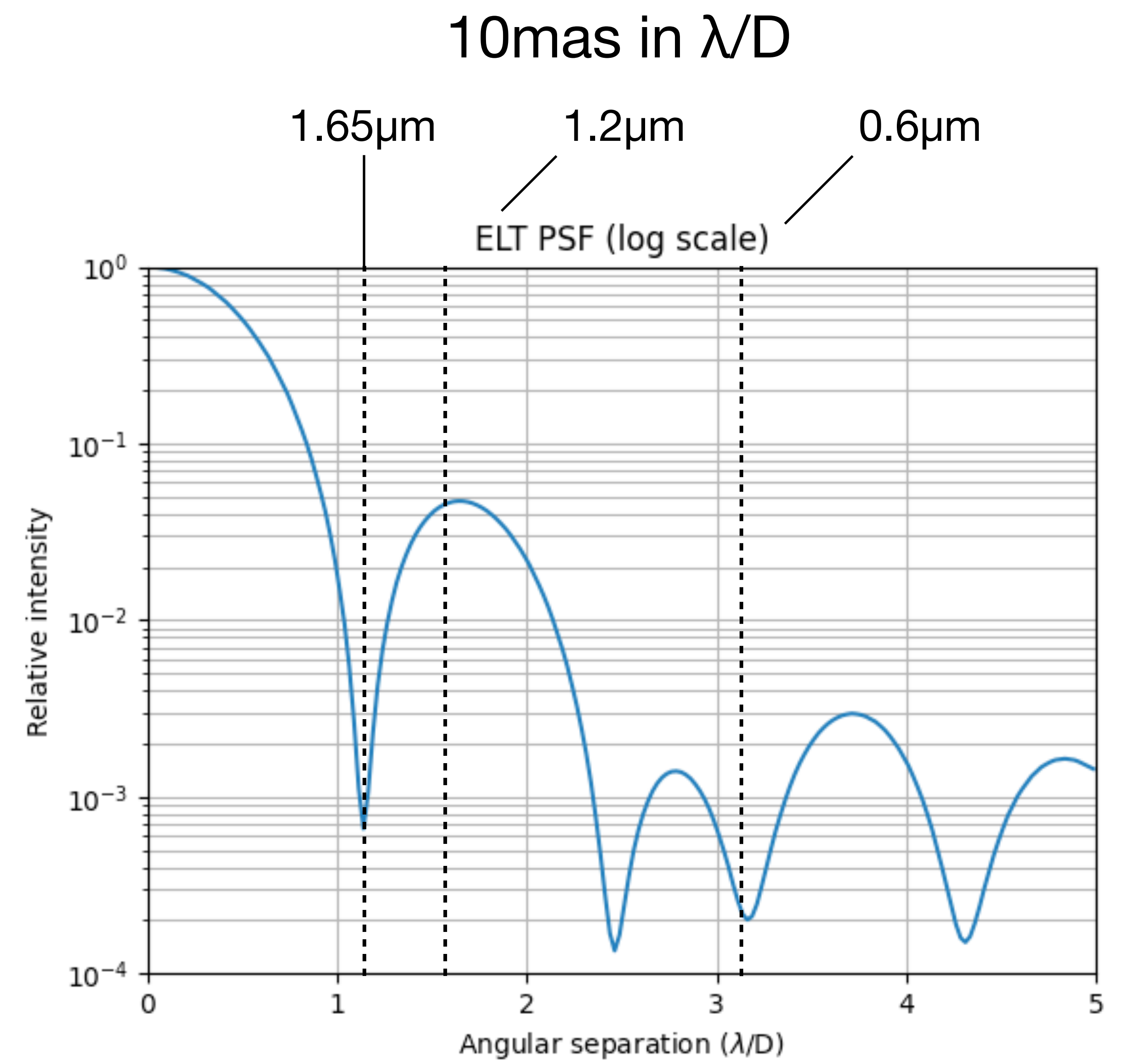
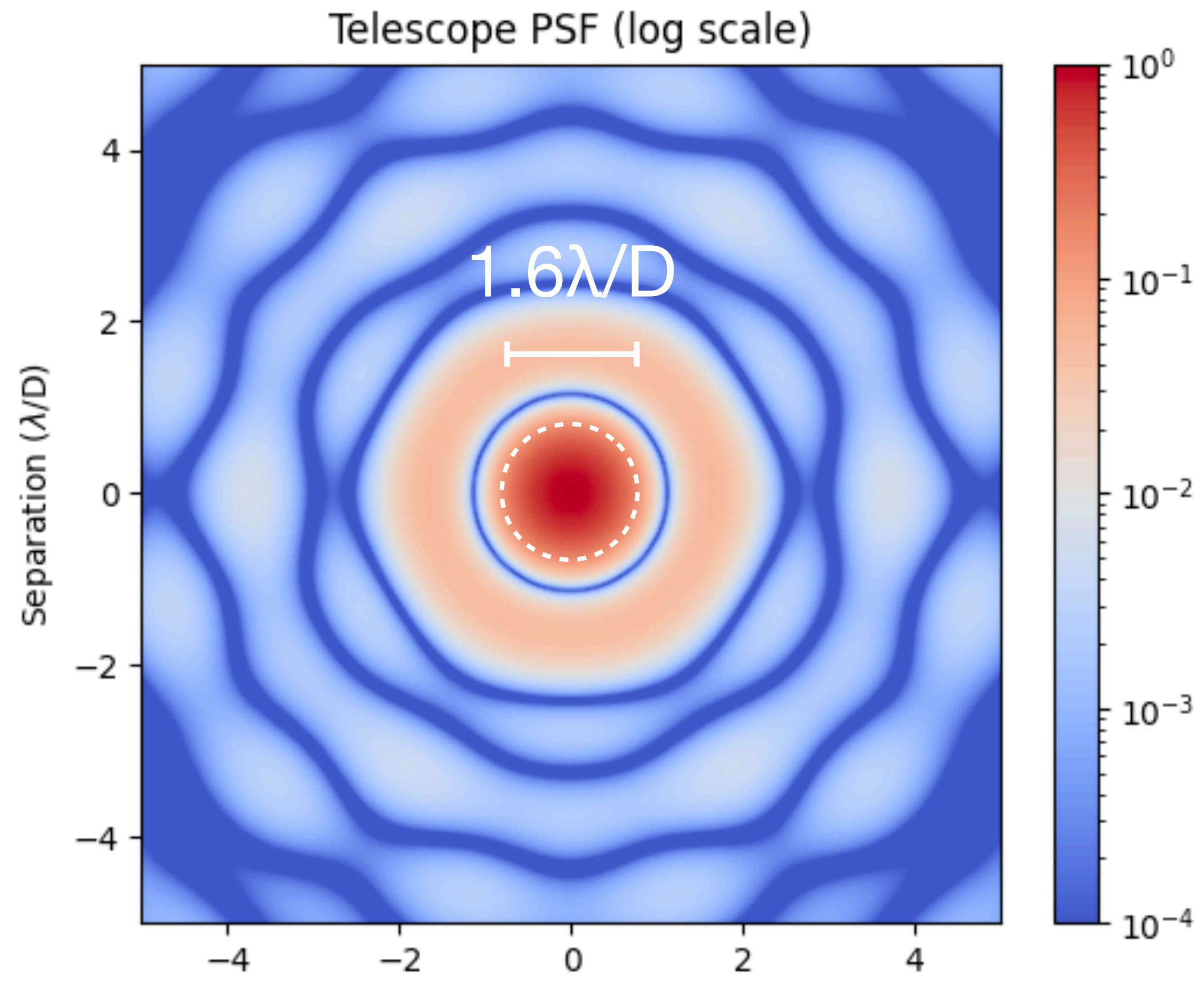
This project has received funding from the European Research Council (ERC) under the European Union's Horizon 2020 research and innovation programme, grant agreement No. 866001 (EXACT)

# **A few assumptions, and a question**

- Known planet position, thanks to GAIA or other means
- Mid/High resolution spectra acquired with an IFU or a fiber-fed spectrometer
- No non-ideal effects related to detector & spectrograph at this point
- Star / planet spectral diversity leveraged for characterization:  
high-pass filtering & forward modeling through cross-correlation with models

**In the best case scenario, what is the detection limit?**

# The ELT PSF



# The many ways of lowering the starlight

- Direct phase or amplitude pupil masking:
  - apodized phase plates (APP, V-APP) & dark hole creation w/ an AO system
  - shaped pupils
- Apodized coronagraphs:
  - w/ an amplitude mask: APLC
  - w/ a phase mask: Roddier&Roddier, FQPM, Vortex
  - w/ loseless apodization: PIAA, PIAA-CMC

Also, constraints can be set:

- on the intensity, \*or\*
- on the electric field coupling into a fiber

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in this talk

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# Photon noise limited SNR as ultimate floor

From **Ruane+ 2018**: 
$$\text{SNR} = \frac{\eta_p}{\sqrt{\eta_s}} \epsilon \sqrt{N_\star} = \epsilon \sqrt{\frac{\eta_p N_\star}{C}}$$

$\eta_p$  : planet throughput

$C$  : raw contrast

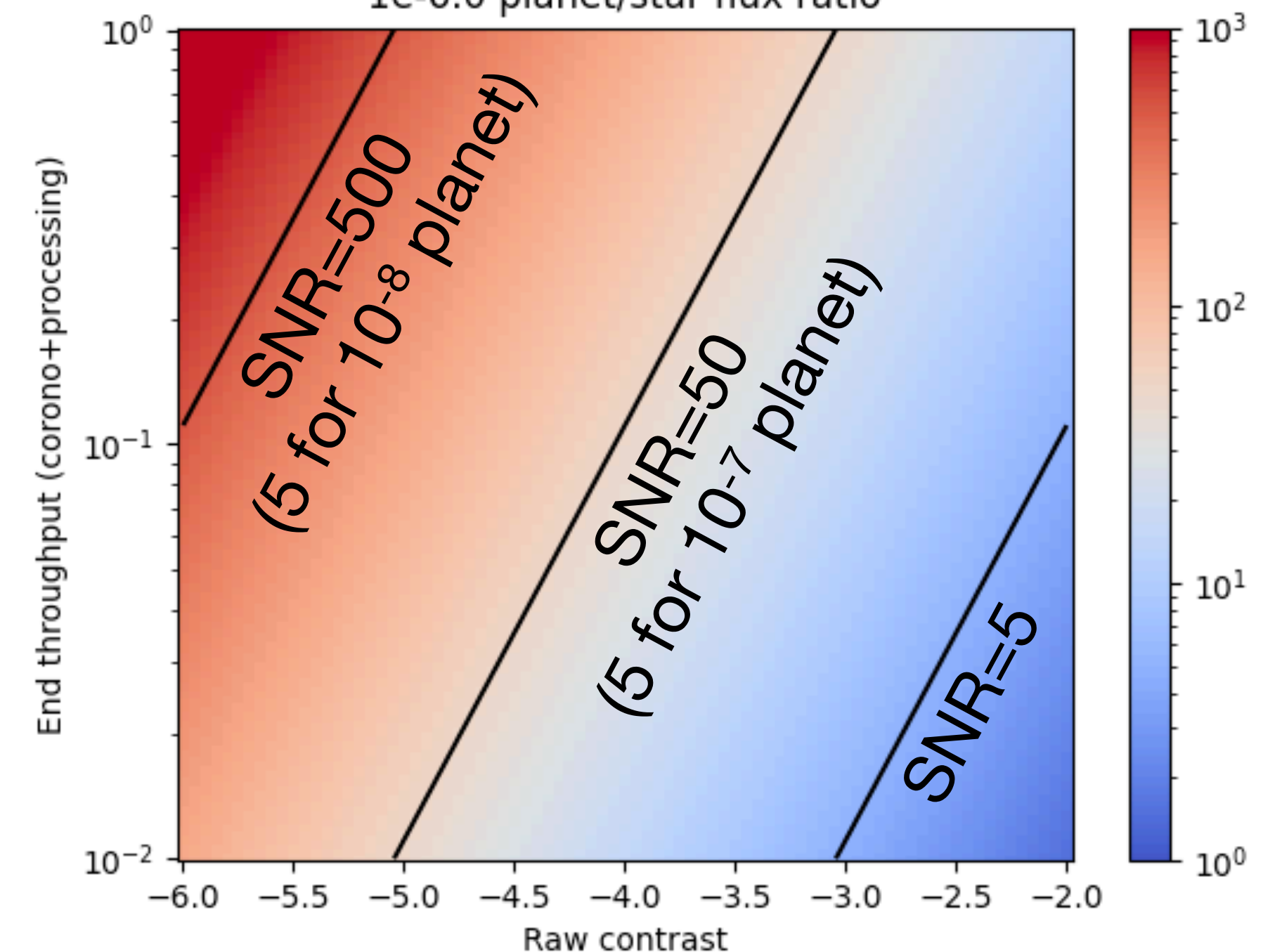
$N_\star$  : total star photons (before coronagraph)

$\epsilon$  : planet/star flux ratio ( $\ll 1$ )

ELT example: K star, H=8, 1h exposure, 30% base throughput (excl. coronagraph)  
End throughput takes into account coronagraph & post-processing contributions

Caveat: the end throughput should effectively depend on the planet spectra (not considered here).

Photon noise limited SNR - ELT - 30% instrument throughput  
1e-6.0 planet/star flux ratio



# SNR gain

t: total planet transmission

$C_{\text{tel}}$ : raw contrast\* at planet location w/o the coronagraph

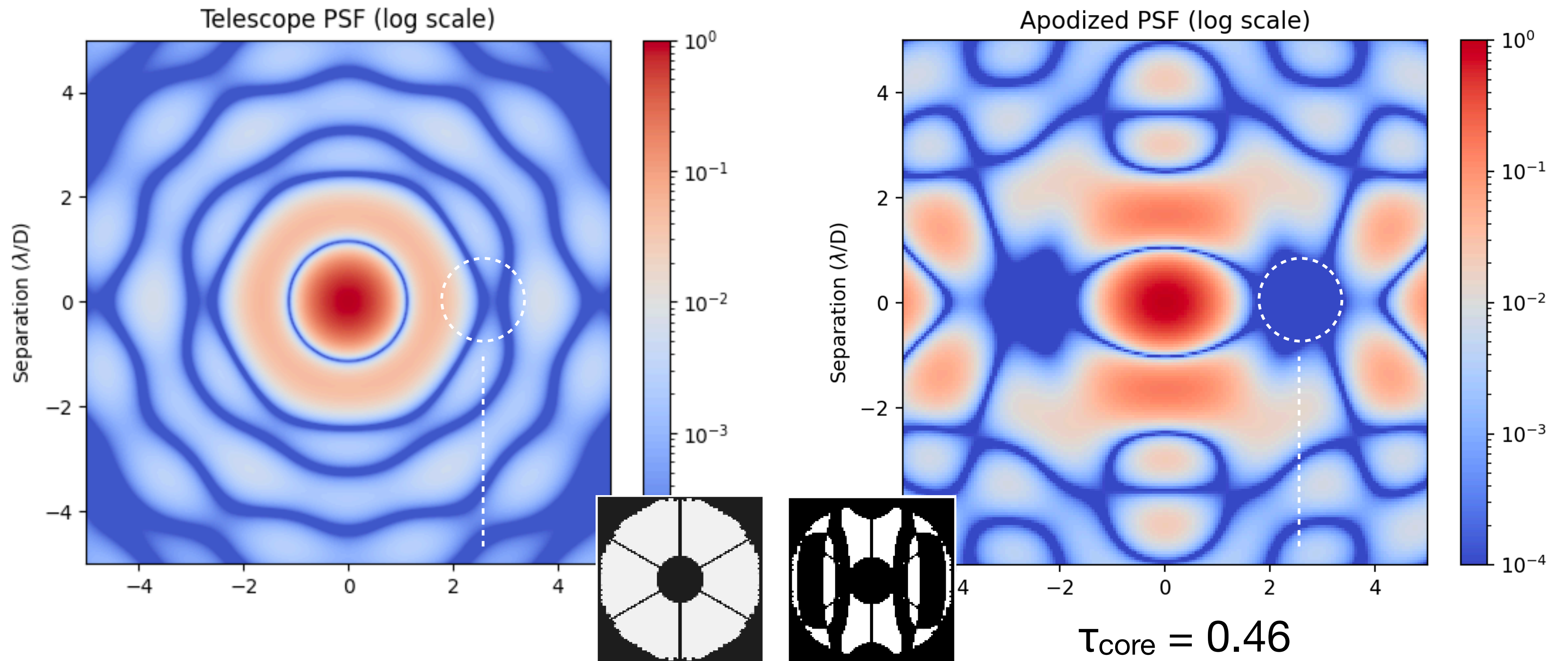
$$\text{SNR}_{\text{gain}} = \frac{\sum_{\text{PA}} I_{\text{apod}}}{\sum_{\text{PA}} I_{\text{tel}}} \cdot \sqrt{\frac{\sum_{\text{PA}} I_{\text{tel}}}{\sum_{\text{PA}} I_{\text{apod}}}} = \tau_{\text{core}} \sqrt{t \frac{C_{\text{tel}}}{C_{\text{apod}}}}$$

$\tau_{\text{core}}$ : core energy fraction, i.e., relative concentration of light within the photometric aperture with and without the apodizer

$C_{\text{apod}}$ : raw contrast\* at planet location with the coronagraph

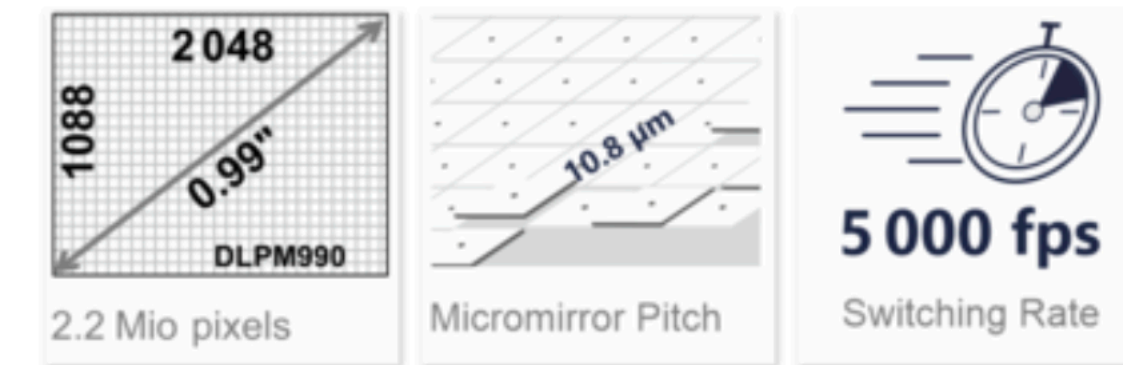
\* The raw contrast can be considered in an ideal case, or in the presence of aberrations

# One example: $2.4 \lambda/D$ , $t=0.45$ , $\text{SNR}_{\text{gain}} \sim 11$



# Achromatic amplitude and phase control

Recent advances to provide high spatial resolution control!



Texas Instruments phase light modulator available later this year

**Segmented DM with > 1K actuator across**,  $\sim 1 \lambda$  phase in VIS (NIR: expected)

Important caveat: 4bits control only (16 phase levels, non-linear)

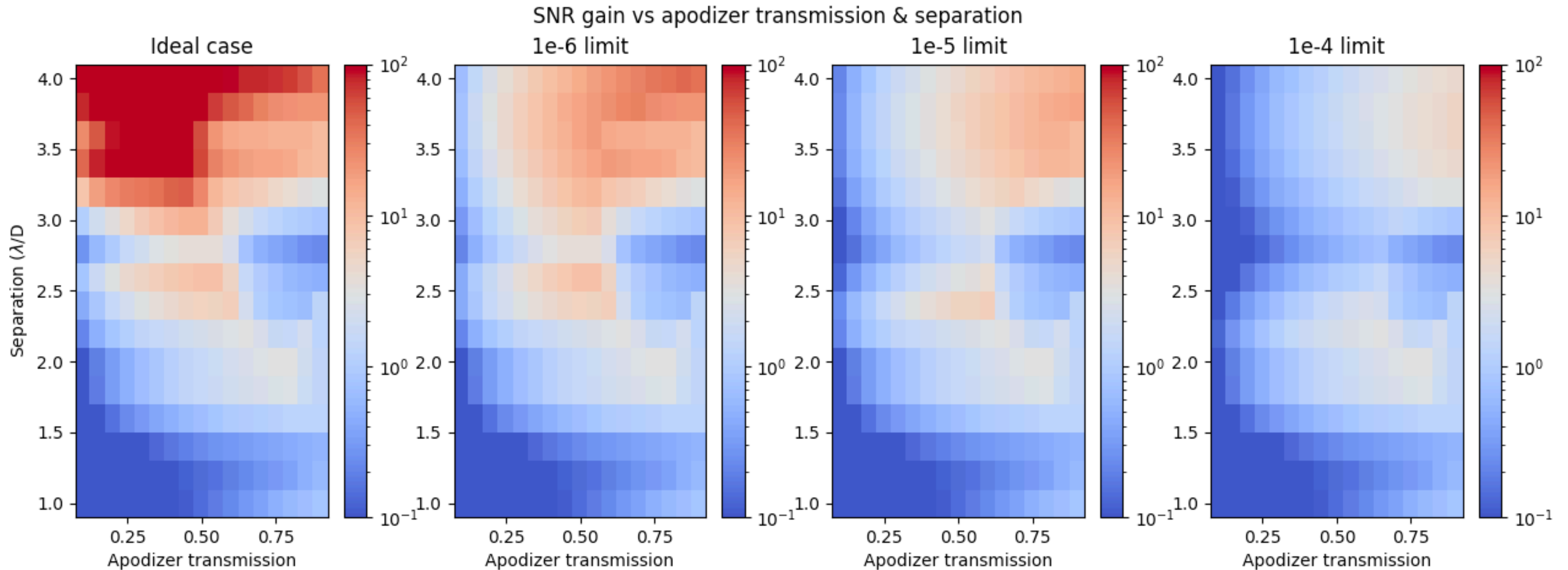
Equivalent technology from the Fraunhofer Institute (IPMS, Dresden)

with 8bits (256 levels) - Project RealHolo, low TRL

Achromatic amplitude control with  $\sim 300$  actuators across from the Fraunhofer Institute (IPMS, Dresden) - Prototype to be tested at IPAG 2026-2027

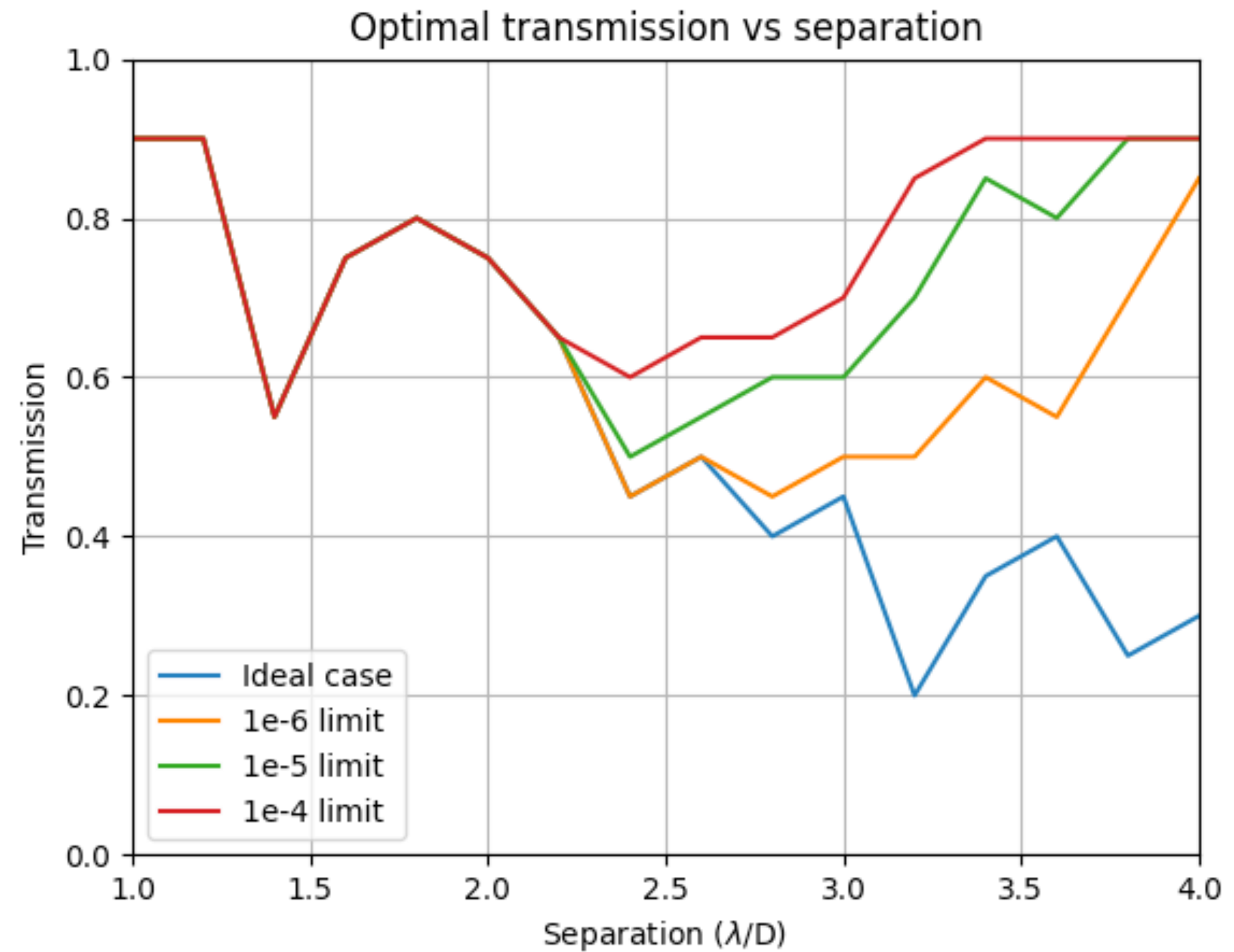
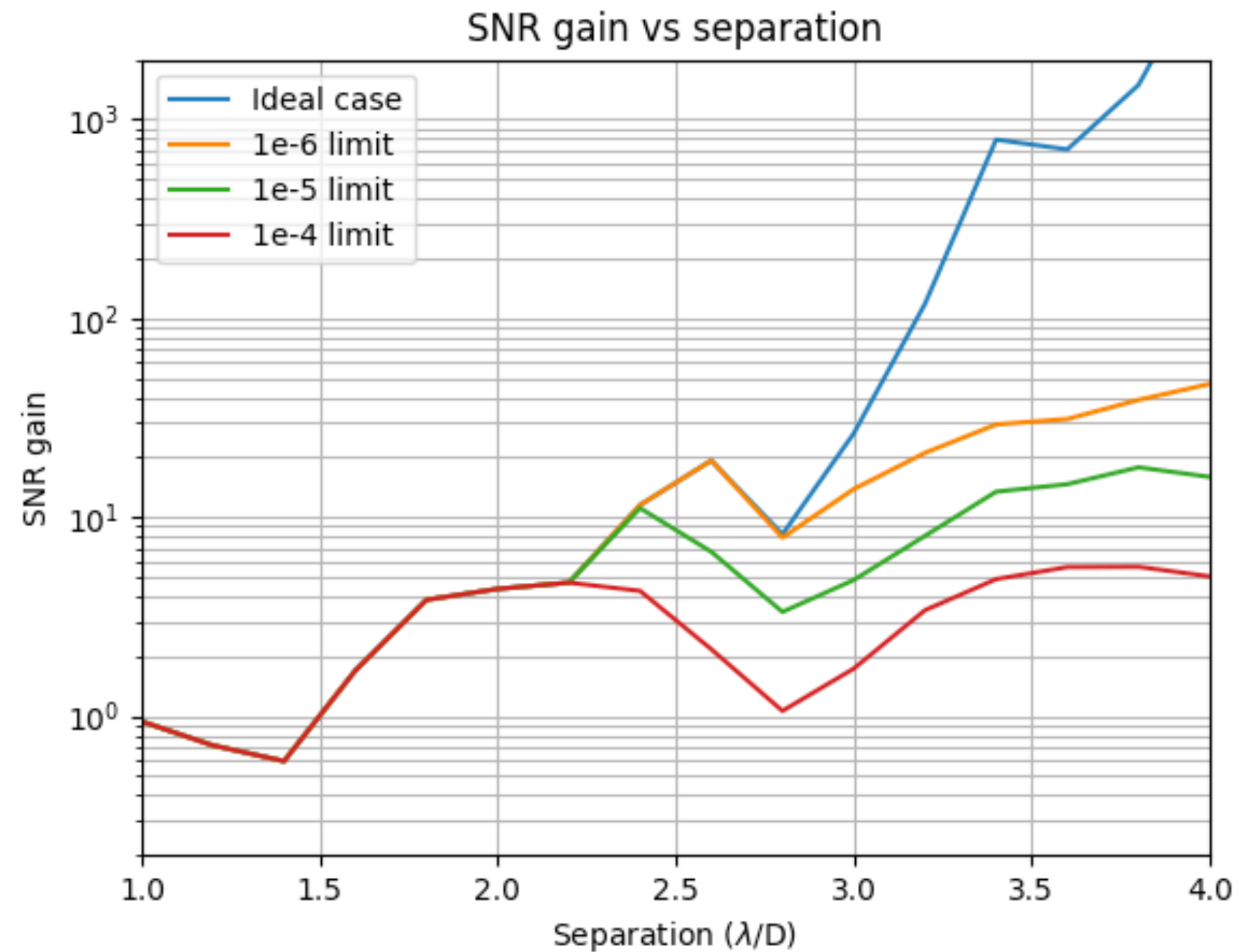
# A more exhaustive look

Illustrating the difficulty of lowering the intensity very close to the star



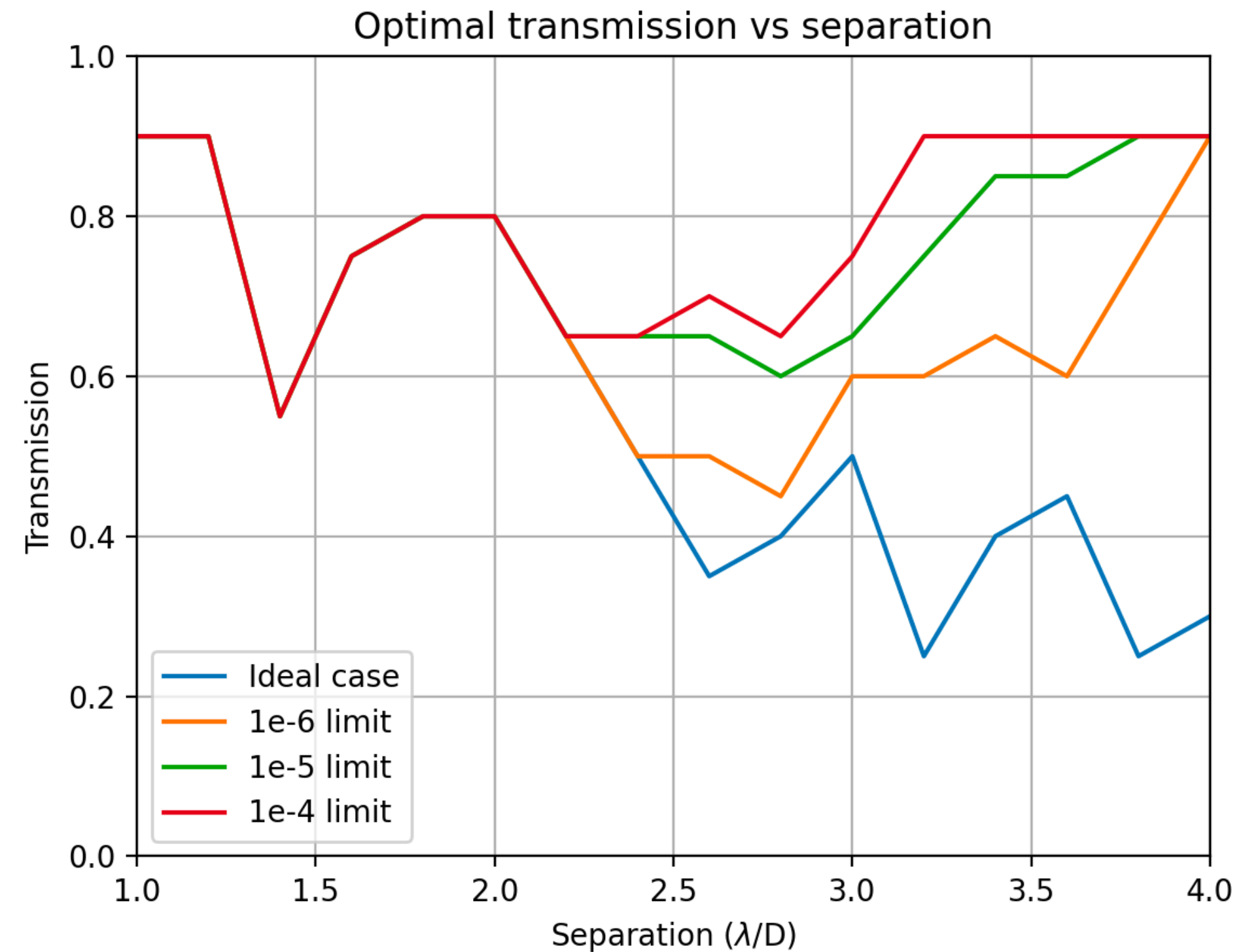
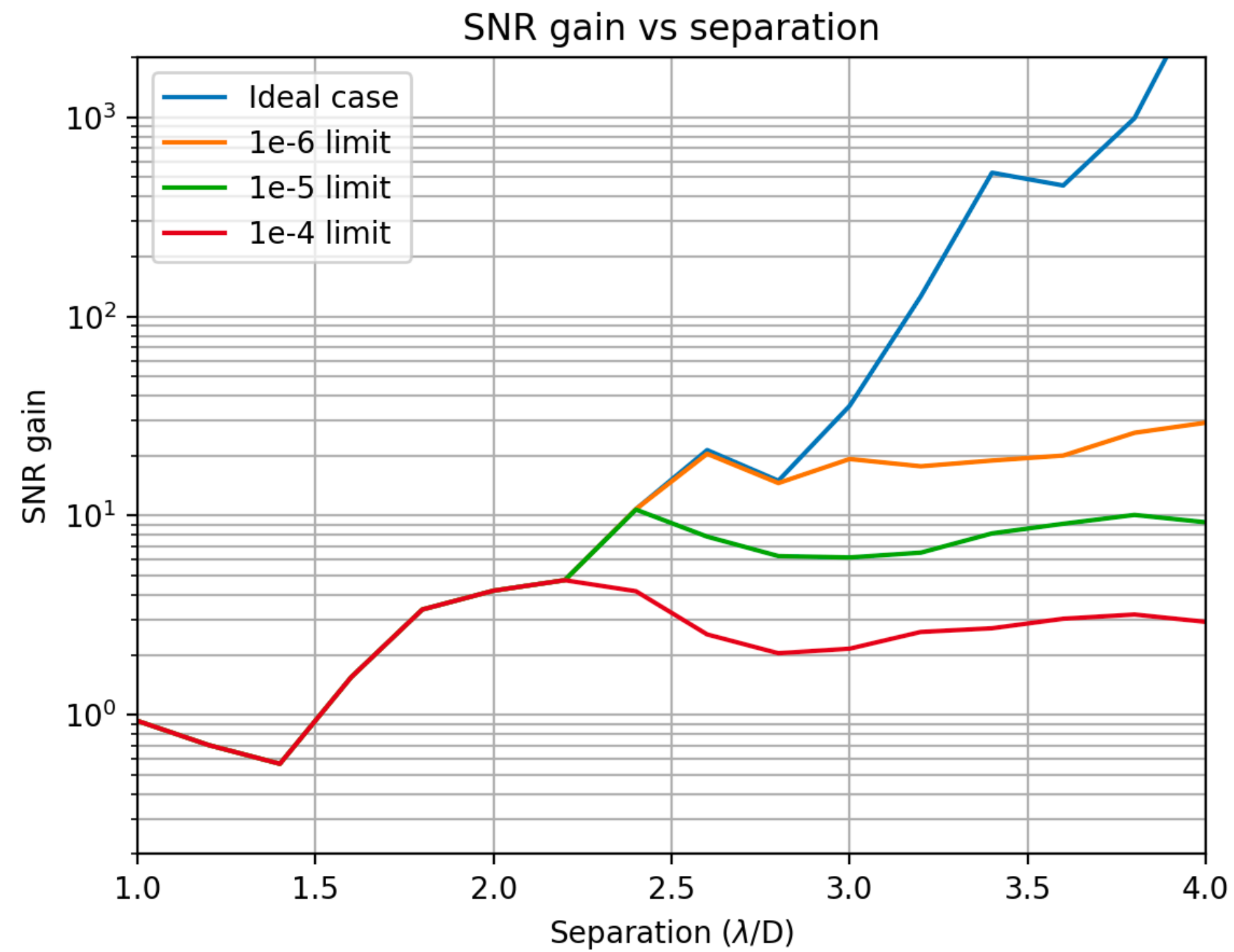
# Optimal throughput set by contrast limit

Specific case of HC regions created along the x-axis



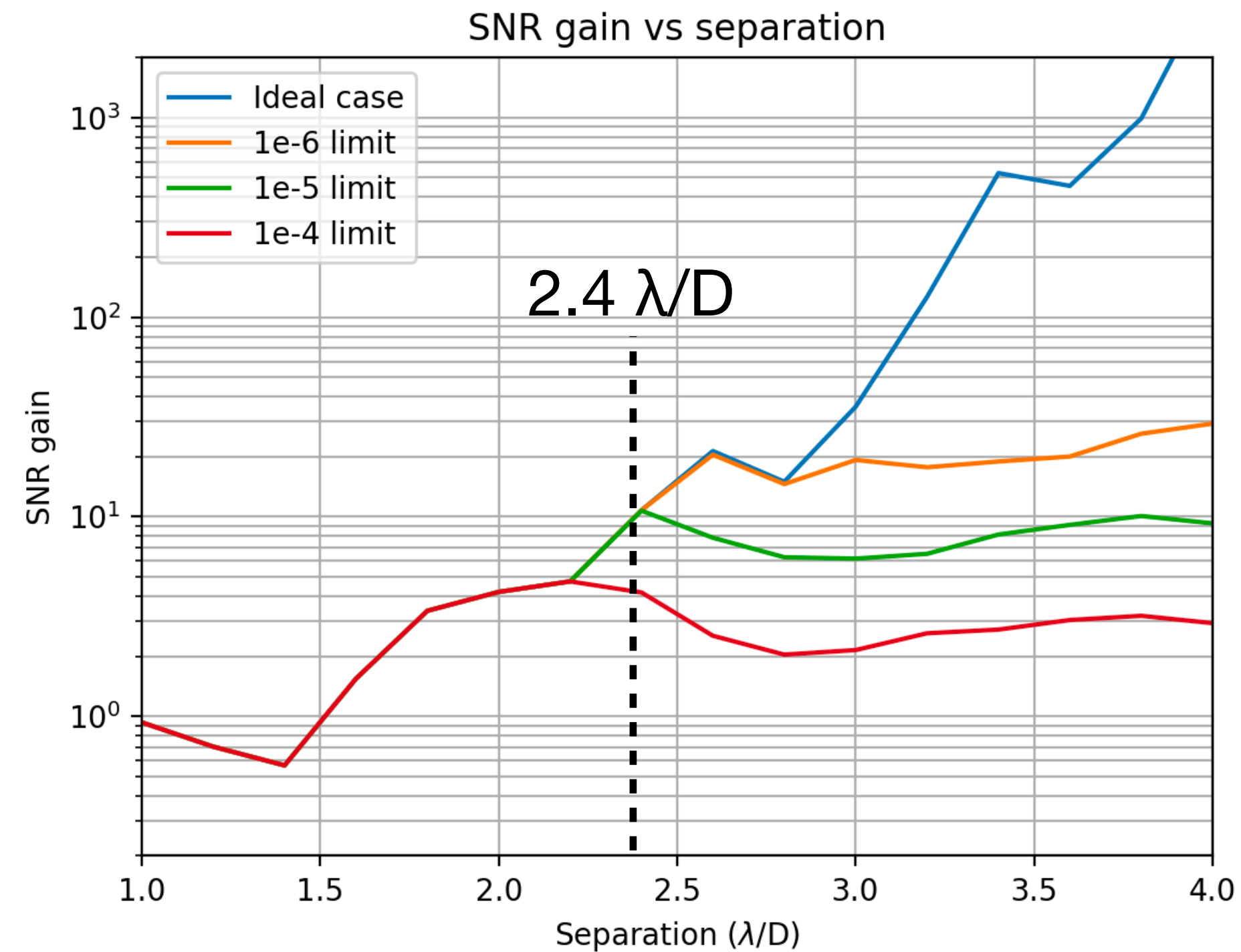
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# Optimal throughput set by contrast limit

Specific case of HC regions created along the y-axis



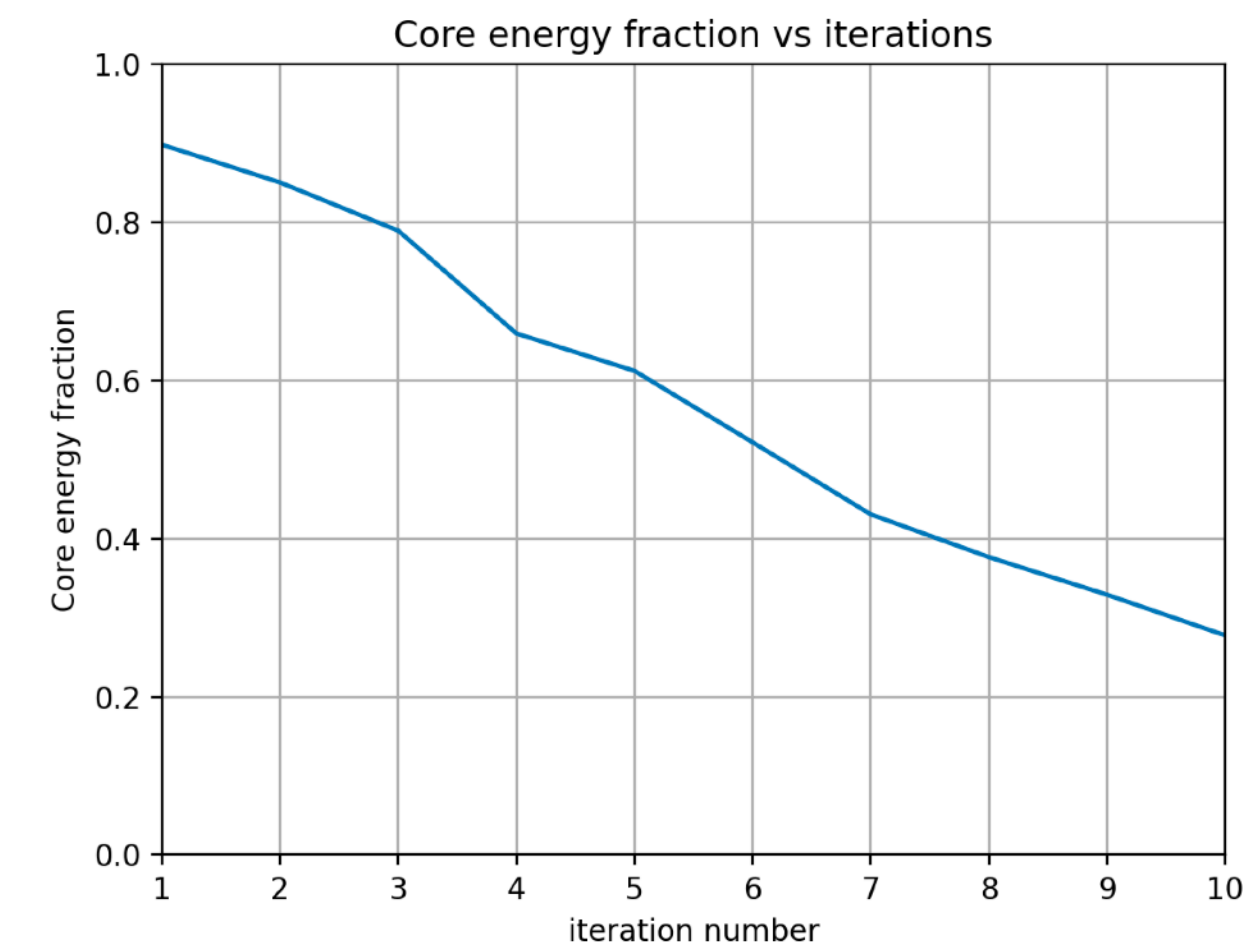
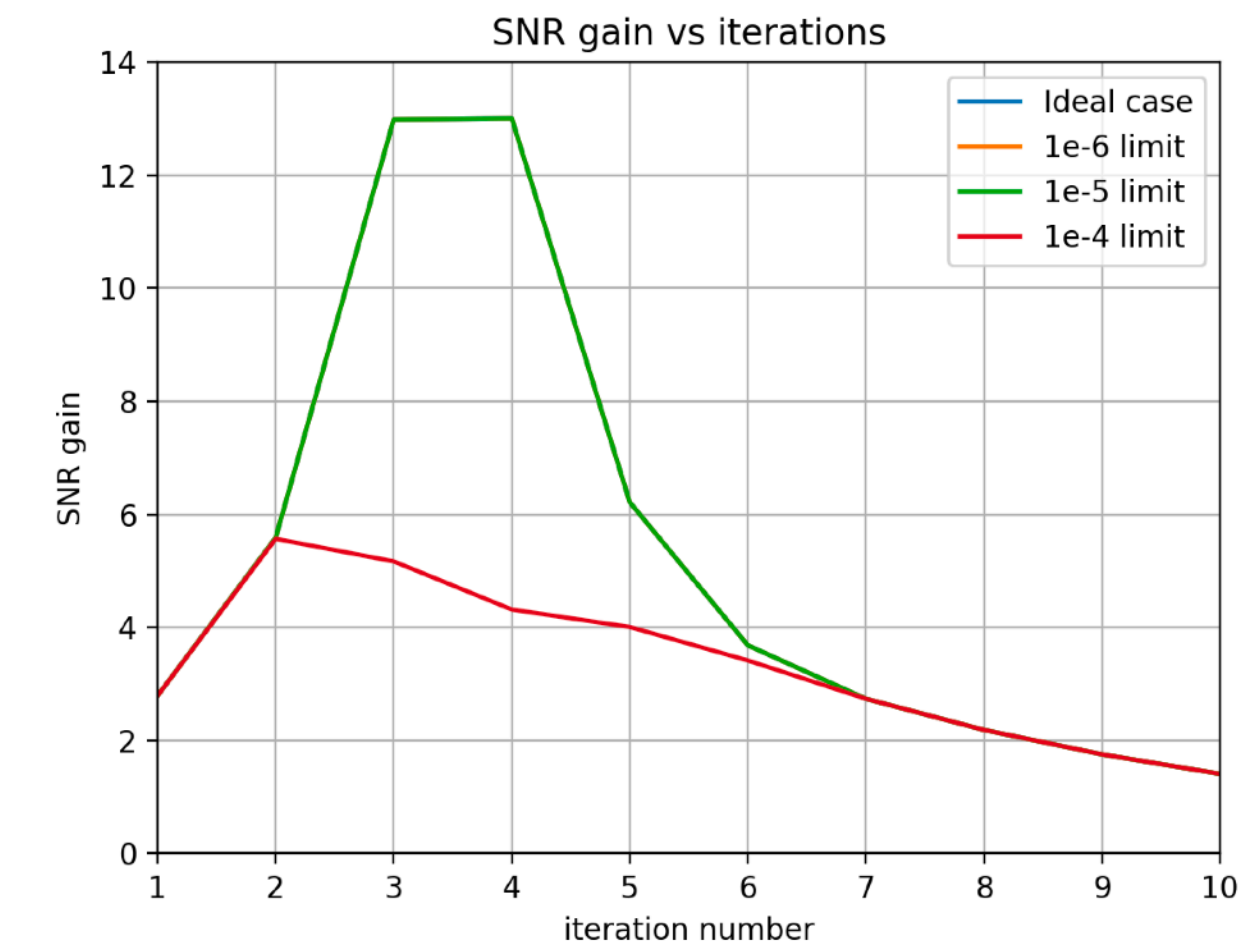
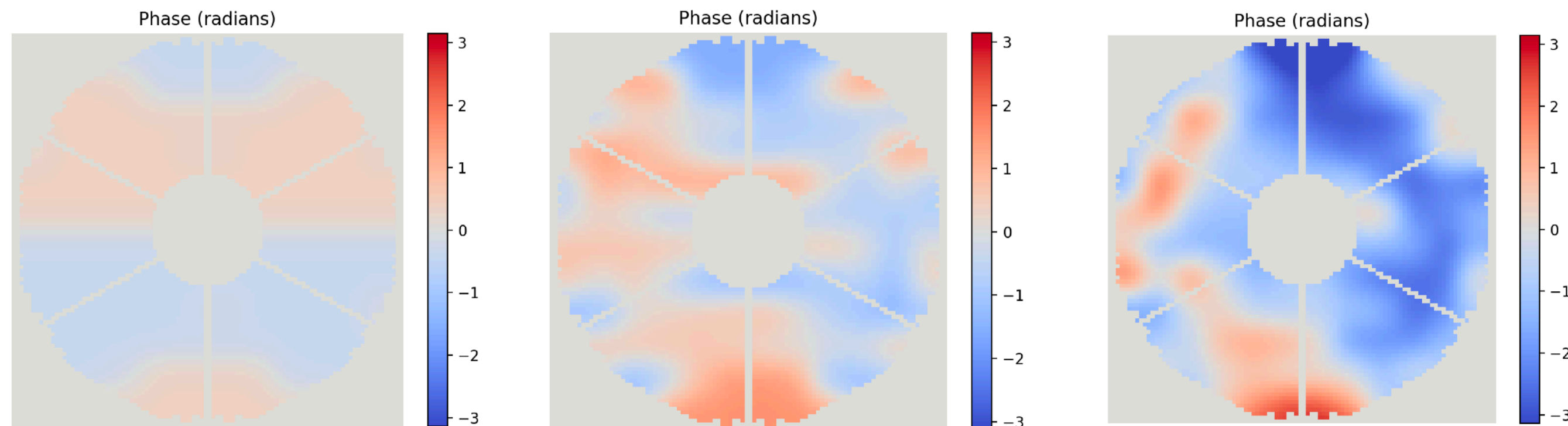
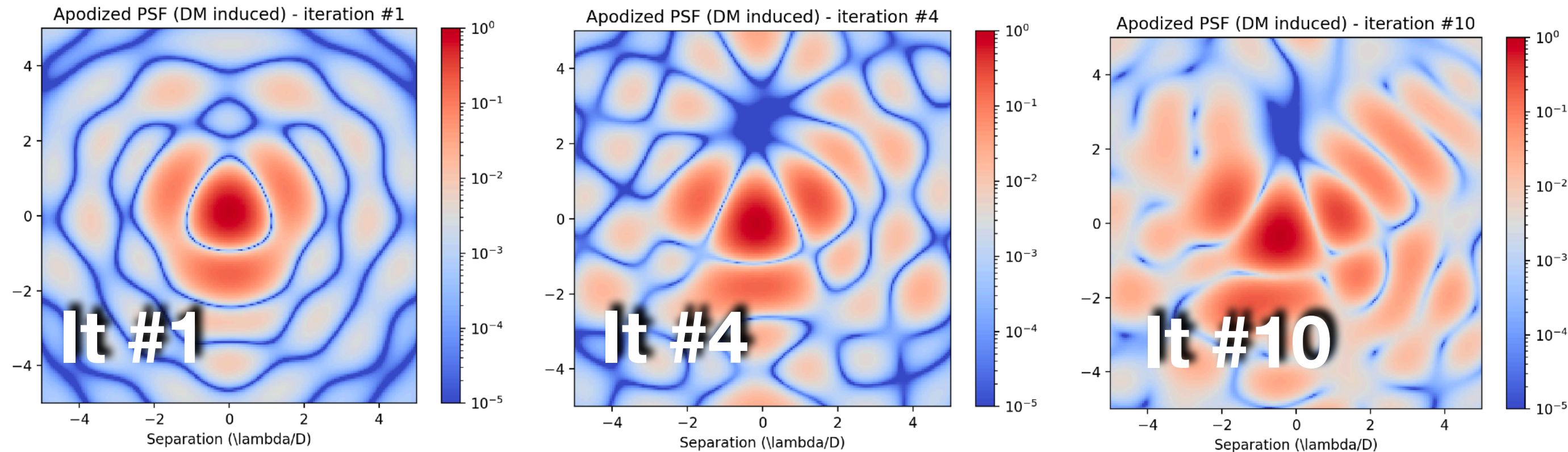
**SNR gain ~ 4** at  $2.4 \lambda/D$  for an effective **1e-4** raw contrast

**SNR gain ~ 10** at  $2.4 \lambda/D$  for an effective **1e-5** raw contrast (or lower)

# Phase apodization - 12x12 actuators DM

Iterative phase optimization algorithm

Maximum SNR gain  $\sim 5.5$  &  $13$  ( $1e-4$  &  $1e-5$  effective raw contrasts)

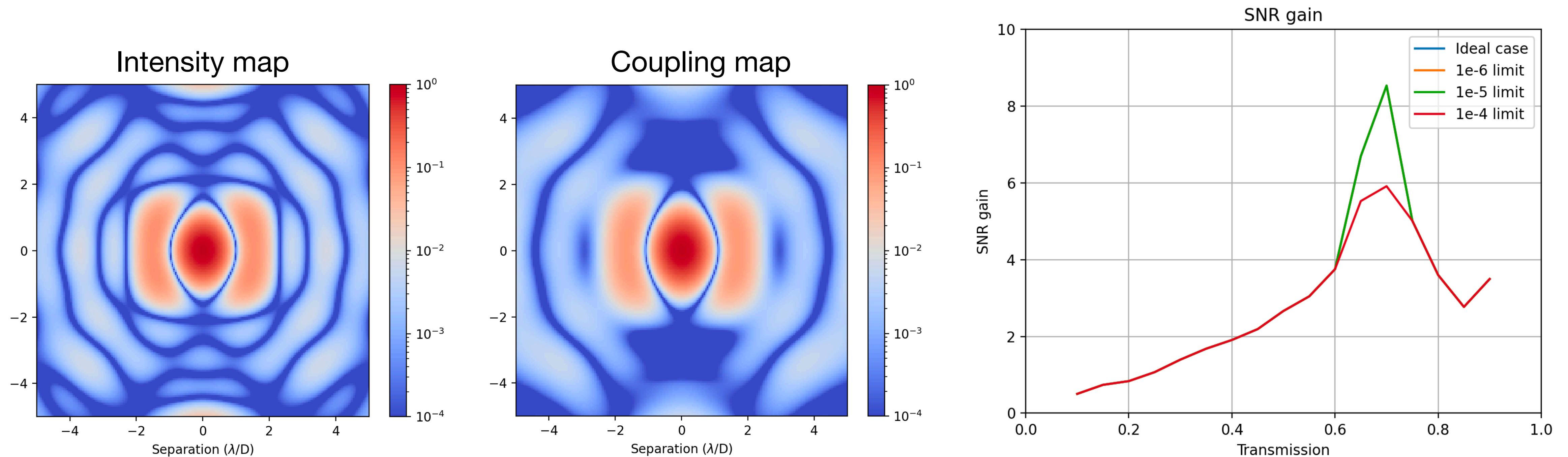


# Single-mode fiber case - shaped pupils

Similar to the SCAR concept (Por & Haffert, 2020)

Theoretically more efficient, but current results are not very encouraging

$\text{SNR}_{\text{gain}}$  values should be taken with a (big) grain of salt, though.



# Conclusions & perspectives

Removing the star light at close separation is tough.

$\sim 2.5 \lambda/D$  seems like a starting point with ELT

Who would have thought?



A common metric to compare various high-contrast techniques is essential

Photon noise limited SNR may be a convenient way when post-processing relies on high-resolution spectral diversity

Phase and amplitude apodizations may offer comparable performance

A closer, more exhaustive look is required to say more